Name: \_\_\_\_\_

Directions: MAKE SURE TO COPY YOUR AN-SWERS TO A SEPARATE SHEET FOR SENDING ME AN ELECTRONIC COPY LATER.

**1.** (20) The courtroom analogy used in our text describing the philosophy underlying significance testing is \_\_\_\_\_

**2.** (15) Consider the beta distribution family, Sec. 6.6.5. It has two parameters,  $\alpha$  and  $\beta$ . In fitting such a model to our data, we would come up with estimates of these two parameters,  $\hat{\alpha}$  and  $\hat{\beta}$ . Fill in the blank with a term from our course: The standard deviations of  $\hat{\alpha}$  and  $\hat{\beta}$  are called their \_\_\_\_\_

**3.** (15) Suppose we wish to construct an (approximate) 80% confidence interval. What number should we use instead of 1.96? Your answer must consist of an R call.

4. (20) For various distribution families, R provides the functions 'd', 'p', 'q' and 'r'. Give nonsimulation R code that computes (11.9), using an appropriate one of these functions. For full credit, your code should not use loops.

5. Let W denote the weight of some kind of item. Unknown to us, in the populaiton  $f_W(t) = 2(1-t)$  for t in (0,1), 0 elsewhere.

- (a) (15) Find the population value P(W > 0.2).
- (b) (15) We take a random sample  $W_1, ..., W_{100}$ , and calculate  $\overline{W} = \sum_{i=1}^{n} W_i / 100$ . Find the exact value of  $Var(\overline{W})$ . An expression of the form  $a b^2$  MUST appear in your electronic answer.

## Solutions:

1. innocent until proven guilty

2. standard errors

3

 $\operatorname{qnorm}(0.90)$ 

## $\mathbf{4}$

1 - pbinom(7, 10, 0.5)

5.a

$$\int_{0.2}^{1} 2(1-t) \ dt = 0.64$$

**5.b**  $Var(\overline{W}) = \sigma^2/100$ . So compute EW = 1/3 and  $E(W^2) = 1/6$ . Our answer is then  $(1/6 - (1/3)^2)/100$ .