Name: \_\_\_\_\_

Directions: MAKE SURE TO COPY YOUR AN-SWERS TO A SEPARATE SHEET FOR SENDING ME AN ELECTRONIC COPY LATER.

1. (10) Suppose X is the length of a random rod, in inches, and Var(X) = 2.6. Let Y denote the length in feet. Find Var(Y).

**2.** (10) In the board game, Sec. 2.11, suppose we start at square 3 (no bonus, since we *start* there rather than *landing* there). Let X denote the square we land on after one turn. Find EX.

**3.** This problem concerns the Monty Hall example, pp.40ff.

- (a) (15) Give the numbers of the "mailing tubes" in (3.1) and (3.2), respectively. Use a comma and/or spaces to separate the two equation numbers, e.g. "(2.1) (2.3)".
- (b) (15) Consider (3.1). Say we change the left-hand side to P(A = 2 | C = 2, H = 1). What would be the new numerical value of the numerator on the right-hand side?

**4.** (20) Look at the simulation code on p.26. Say we wish to find the expected value of  $S^2$ , where S is the sum of the **d** dice. Give a line of code, to replace line 11.

**5.** Consider the Preferential Attachment Graph model, Sec. 2.13.1..

- (a) (10) Give the number of the "mailing tube" justifying (2.69).
- (b) (10) Find  $P(N_3 = 1 | N_4 = 1)$ .
- (c) (10) Find  $P(N_4 = 3)$ .

## Solutions:

1.

2.

$$(\frac{1}{12})^2 \cdot 2.6$$
$$4 \cdot \frac{1}{6} + 5 \cdot \frac{1}{6} + 6 \cdot \frac{1}{6} + 7 \cdot \frac{1}{6} + 0 \cdot \frac{1}{6} + 1 \cdot \frac{1}{6}$$

**3.a** (2.8), (2.7) **3.b** 

 $(\frac{1}{3})(\frac{1}{3})(\frac{1}{2})$ 

## **4**.

 $\operatorname{mean}(\operatorname{sums}^2)$ 

**5.a** (2.2) **5.b** 

(1/2)(2/4) / ((1/2)(2/4) + (1/2)(1/4))

5.c

(1/2)(1/4) + (1/2)(1/4)