Name: _____

Directions: Work only on this sheet (on both sides, if needed); do not turn in any supplementary sheets of paper. There is actually plenty of room for your answers, as long as you organize yourself BEFORE starting writing.

1. The function wrmat() inputs a matrix and a file name, and outputs the matrix to a text file. For example, the call wrmat([[1,2,3],[5,12,13]],'outmat.txt') would produce the text file outmat.txt with contents

```
1 2 3
5 12 13
Fill in the blanks.
def wrmat(mat, tf):
    f = open(tf, 'w')
    for row in mat:
        # insert 1 or more lines
        f.write(outrow+'\n')
    f.close
```

2. The function **primefact()** below finds the prime factorization of number, relative to the given primes. For example, the call **primefact([2,3,5,7,11],24)** would return [2,3], [3,1], meaning that $24 = 2^3 3^1$. (It is assumed that the prime factorization of **n** does indeed exist for the numbers in **primes**.) Fill in the blanks.

```
# find the maximal power of p
# that evenly divides m
def dividetomax(p,m):
    k = 0
    while True:
        if m % p != 0: # blank
        k += 1
        m /= p

def primefact(primes,n):
    tmp = map( # blank
    tmp = filter( # blank
    return tmp
```

Solutions:

1.

```
def wrmat(mat, tf):
    f = open(tf, 'w')
    for row in mat:
        outrow = ''
        for elt in row:
            outrow += str(elt) + ' '
        f.write(outrow+'\n')
    f.close
2.
```

find the maximal power of p
that evenly divides m
def dividetomax(p,m):

```
\begin{array}{l} k=0\\ \text{while True:}\\ \text{if } m\ \%\ p\ !=\ 0 \colon \ \text{return}\ (p,k)\\ k+=1\\ m\neq p \end{array} \begin{array}{l} \text{def primefact(primes\,,n):}\\ \text{tmp}=\text{map(dividetomax\,,primes\,,len(primes\,)*[n])}\\ \text{tmp}=\text{filter(lambda\ u:\ u[1]\ >\ 0\,,tmp)}\\ \text{return\ tmp} \end{array}
```